## R and S-PLUS: BASIC INSTRUCTIONS

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## 1 GENERAL NOTES:

The instructions below work for both S-Plus and R. SPlus is a very powerful statistics language from ATT Bell Laboratories. $R$ is an open source copy of S-Plus and is available for Win9x and Unix/Linux operating systems. Whilst S-Plus (and thus R) is very flexible, expandable and virtually without limitations, because it is a programming language (albeit high-level), it does require basic programming concepts and has a steep learning curve. Having said this, the rewards for mastering the basic concepts of $R$ are great. Other statistical packages such, such as SYSTAT and SPSS are inflexible, riddled with limitations and very expensive (not available to students off campus). $R$ can be downloaded from:
ftp://mirror.aarnet.edu.au/pub/CRAN
/index.html
Warning, R (and S-Plus) is a completely command and script based package. It is not possible to incorporate the huge array of functions etc into a usable menu-driven interface.
As $R$ is a copy of S-Plus, reading documentation on either will provide information on usage. In particular Everitt (1994) and Venables and Ripley (1994) are excellent references. In addition, there is plenty of information available on the web and in help files that come with the
distributions.
These instructions only cover some of the many options available for analyses and graphs. Once you are familiar with a particular type of analysis or graph, you might want to investigate other options. Help is always available. For each procedure described, an example of the commands needed are provided and additional scripts are placed in the Appendix. The commands take on the following structure:

- > this is the command prompt, you don't type this, it is already there.
- \# this is a comments marker. It allows for comments in the script and every thing following it for that line will be ignored by $R$.
- <- is the equivalent of a '=' (equals sign).
- Bold type indicates that you should alter the text in here to correspond to the variable etc. that you are interested in.
- all white space is ignored. Occasionally, commands are split across lines in this document. When using the commands, remove the carriage returns.
$R$ itself is driven by typed commands. Such an interface often frightens new users away, however, there are several good reasons for performing statistical analyses via commands

1. Forces the user to know more about what they are asking the software to perform. This minimizes the effects of the point-and-click (black box) syndrome where users click a couple of windows items, hit return, hope for the best and accepting any non error as indicating a correct outcome. Consequently, command driven statistics are potentially excellent teaching resources.
2. Enable easy storing of sequences of commands thereby permitting analyses to be replicated exactly (no matter how complex) at later date
3. Much quicker for developers to write and maintain code and therefore commands usually provide more flexible procedures than more graphical user interfaces

Note: these notes do not cover many of the more advanced techniques and issues of analysis. As the title implies, they are very much 'basic instructions'. More extensive examples and syntax is found within the Eworksheets.

## 2 INSTALLATION UNDER WINDOWS

The latest stable version of $R$ can be downloaded from http://users.monash.edu.au/~murray/stats/. Installation is straight forward. Click on the $\mathbf{R}$ installation link and follow the prompts to download the *.exe file into a local directory on you computer (running Windows). Locate and double click on this file - this will run the setup software and install $R$ on your computer (Note, you will be asked to confirm where $R$ should be located, the default position is best!).
You should also download and install a number of packages that extend the functionality of $R$ and provide a range of procedures that are useful for biologists (see section 4).

## 3 BRIEF INTRODUCTION

Although $R$ for windows is a powerful statistical package, it is actual a high-level interpreted programming language (called R) which is modeled on S . Both R and S are object orientated languages and therefore everything in $R$ is an object of some kind The basic data storage unit in $R$ is called a vector. A vector is just an array of one or more entries (numbers, characters, etc). Hence a vector is an object. There are a number of types (or classes) of vector in R reflecting the nature of the data in the vector. There is a function called c , which is short (very short) for concatenate. This function generates a vector (collection of similar entries) of entries. For example, the following syntax generates a vector with the name newvector that contains two real (double precision or floats) numbers (8.4 and 2.1):

```
>a <- c(8.4, 2.1)
```

The statement (everything to the right of the R prompt, $>$ ) is evaluated when the ENTER key is pressed.

## A few necessary definitions

## Array A collection of one or more values of the

 same type (e.g. all numbers or all characters etc) arranged in one or more dimensionsVector A collection of one or more values of the same type (e.g. all numbers or all characters etc).
$>c(1,2,3,4)$
The above command generates a numeric class (type) of vector comprising of the values $1,2,3$ and 4 . Table 1 lists other common vector classes.

Object Everything is an object. There are a number of types (or classes) of vector in R reflecting the nature of the data in

Function A set of instructions carried out on one or more objects. Functions are typically used to perform specific and common tasks that would otherwise require many instructions. For example, the function mean () is used to calculate the arithmetic mean of the values in a given object (e.g. numeric vector)

Argument Information parsed to a function to determine how the function should perform its task. Arguments are given between the brackets that proceed the name of the function. For example, the mean function requires at least one argument - the name of an object that contains the data from which the mean is to be generated

Operator Is a symbol that has a pre-defined meaning. Familiar operators include $+-* /=$ $<><=$ and $>=$, while less familiar operators include $==$ (does the item on the left hand side of the $==$ equal the item/value on the right hand side), $!=$ (is the left hand side not equal to the right), \&\& (and) and | (or)

Expression A statement that is evaluated and used to produce a value that is then printed to the output and discarded

Assignment Evaluates an expression and assigns the result (value) to an object. The assignment operator $<-$ is interpreted by $R$ as 'evaluate the expression on the right hand side and assign it to the object on the left hand side. If the object on the left hand side does not already exist, then it is created, otherwise the objects contents are replaced. For example

## $>a<-1$

assigns the value 1 to an object called 'a'

## Formula

Table 1 Object vector classes in R

| Vector class | Contains |
| :---: | :---: |
|  | Example |
| integer | whole numbers |
|  | 2:4 |
| numeric | real numbers |
|  | $\mathrm{c}(8.4,2.1)$ |
| character | letters |
|  | C ('A', 'Fish') |
| logical | TRUE or FALSE |
|  | c('FALSE',' TRUE') |
| list | list of objects |
|  |  |
|  | 'big')) |

This generates a list vector class that itself contains a numeric vector called A and a character vector called B

### 3.1 Getting started

```
>help(mean)
OR
> ?mean
```

Two alternatives for getting help on the function mean ()

## $>q$ ()

Quits R gracefully.

### 3.2 Command history

Using the up and down arrow keys on the keyboard to scroll backwards and fawards respectively through the previously enetered commands (command history), enables previous commands to be re-executed or modified and executed.

### 3.3 Variables - vectors

In biology, a variable is a collection of observations of the same type. For example, a variable might consist of the observed weights of individuals within a sample of 10 bush rats. Each item (or element) in the variable is of the same type (a weight) and will have been measured comparably (same techniques and units). Biological variables are therefore best represented in $R$ by vectors.

Type out the following command and press enter

## $>4+2$

The command is evaluatuated and the result (6) is printed on the default (screen) output device.

| $>4+2$ |  |
| :--- | :--- |
| $[1]$ | 6 |

The result is proceeded by [1] which indicates that this is the first element in the requested result. For such a simple example, the element lable is not necessary, however, its importance will become apparent later when the result includes a list of items (numbers or words).

Enter and explore the following commands (a brief description follows each entry): >1: 8

The : operator is interpreted as 'generate a sequence from the item on the left hand side to the item on the right hand side'

```
>c(2.4, 3.5, 5.6, 6.2, 7.5, 8.4, 10.0, 12.1,
13.6, 13.9)
```

The c function concatenates a sequence of numbers into a vector. Hence the command above generates a number vector (containing 10 real numbers)

## >x <- 1:10

Assign the sequence of numbers to a new object (an integer vector) called x . Note that when an object is assigned, its class is automatically determined by the contents assigned to it.

## $>x$

Print to contents of the x object to the default device.

```
1. >wt <- C(126, 130, 121, 136, 139, 106, 111,
    102, 99, 115)
2. >wt
3. >class(wt)
```

1. Use the c function to generate a number vector (containing 10 real numbers) and assigns the vector to a new object (a number vector) called wt. In this case wt might represent the weights of 10 bush rats, and thus might represent a continuous variable.
2. Print to contents of the wt object
3. Use the class () function to determine (and print) which class of object the object wt belongs to
```
1. >X <- c(1, 2, 3, 2.4, 'a', 'high')
2. >X
3. >class(y)
```

1. Use the c function to a vector (specified with a collection of integers, real numbers and characters) and assigns the vector to a new object called X . Since all the items in a vector must be of the same type, all the the items are converted into characters and therefore the vector is a character vector. Note also that $R$ is case sensitive and therefore x and x are not the same.
2. Print to contents of the x object
3. Use the class () function to determine (and print) which class of object the object x belongs to

### 3.3.1 Factorial variables

A specific type of character vector that is of particular importance in the analysis of grouped data is the factor class.

```
1. >SEX <- c('Male', 'Male', 'Male', 'Male',
    'Male', 'Female', 'Female', 'Female',
    'Female', 'Female')
2. >SEX
. >SEX1 <- factor(SEX1)
4. >list(Sex=SEX, Sex1=SEX1)
5. >SEX <- factor(SEX, levels=c('Male',
    'Female'))
6. >SEX
7. >SEX <- gl(2,5,10,lab=c('Male','Female'))
8. >SEX
```

1. Use the c function to generate a character vector containing 6 items and assign it the name SEX
2. Print out the contents of the SEX character vector object.
3. Use the factor function to convert the character vector object into a factor object in which the unique
levels of the factor are defined. For comparison sake the result has been assigned to another factor object (SEX1), however it is more usual to reassign the result to the same object
4. Use the list function to print the contents of the original SEX character object and the SEX1 factor object. The arguments Sex=SEX and Sex1=SEX1 define names (can be any legal names you like) for the SEX and SEX1 objects within the list and are used to identify them in the printed output.
Note that the SEX1 object also lists the levels within the factor in alphabetical order. Most statistical packages do this, however, it is usually not desirable as the alphabetical ordering of treatments is biologically meaningless.
5. Use the levels= argument to specifically assign the order of levels when assigning a factor object
6. Reprint the contents of the SEX1 object. Notice that the order of the levels is more meaningful. The significance of the ordering will become more apparent later.
7. The gl function generates a factor vector and automatically sets the order of the levels according to the order defined by the argument (lab=c('Male','Female')) all in one relatively short command. The first argument of the gl function determines how many levels are in the resulting factor variable, the second determines how many times the items of each level should appear in succession and the third argument determines how many items in total should be in the vector. For simplicity as well as flexibility, the gl function is the author's preferred method for defining factors

## 8. Print the contents of the SEX factor vector

Note that the names given to vectors (variables) can comprise of virtually any sequence of letters and numbers provided the following rules are adhered to

1. Names must begin with a letter (not a number or an operator)
2. Names cannot include either _ (underscore) or a space character

Following is a list of naming recommendations

1. Names should reflect the content of the object. For example the name wt was used to represent a variable or weights
2. Although there is no restriction on name lengths, short names are quicker to type and therefore preferable
3. Separate words in names by a '. (decimal point). For example the name head.length might be used to represent a variable of rat head lengths
4. Avoid names that are names of common functions (such as mean, c etc), as these can provide a source of confusion.

### 3.4 Data frames

A single biological variable is rarely collected and analyzed in isolation. Rather data are usually collected in sets of variables reflecting tests of relationships, differences between groups or as multiple characterizations. Consequently, data sets are best organized into collections of variables (vectors). Such collections are called data frames in R.
Data frames are generated by combining multiple vectors together whereby each vector becomes a separate column in the data frame. In for a data frame to represent the data properly, the sequence in which observations appear in the vectors (variables) must be the same for each vector and each vector should have the same number of observations. For example, the first observations from each of the vectors to be included in the data frame must represent observations collected from the same sampling unit.

```
1. >rats <- data.frame (sex=SEX, wt)
>rats
3. >row.names (rats) <- c('a', 'b', 'c', 'd',
    'e', 'f', 'g', 'h', 'i', 'j')
4. >rats
```

1. Use the data.frame function to generate a data frame object (named rats) from two vectors (SEX and $w t$ ). The argument sex=SEX is used to rename the vector SEX to sex within the data frame. Note that the first observations from the two vectors wt and SEX must represent observations collected from the same sampling unit (individual rat)
2. View the rats data frame (data set)
3. Use the row. names function to add labels (names) to each of the rows. These names are not necessary and purely act as a means to identify individual replicates
4. View the rats data frame (data set). Note the row names

Once a data frame has been formed, vectors (variables) are referred by the following syntax:

## >frame\$vector

where frame is the name of a data frame and vector is the name of a vector within that data frame For example,

## >rats\$wt

Prints the contents of the vector wt within the rats data frame. Note also that the following two commands refer to two completely different variables;

```
>wt
>rats$wt
```

and that altering (or deleting) the vector wt will not alter the rats\$wt vector and vica versa.

## 4 PACKAGES

$R$ is a highly modular piece of software, consisting of a very large number of packages. Each package defines a set of functions that can be used to perform specific tasks. Packages also include of help files and example data sets and command scripts to provide information about the full use of the functions.

The modularized nature of $R$ means that only the packages that are necessary to perform the current tasks need to be loaded into memory. This results in a very 'light-weight', fast statistical software package. Furthermore, the functionality of $R$ can be easily extended by the creation of additional packages, rather than re-write all the software. As a result of this, and the open source license, new statistics are added to $R$ nearly as soon as staticians publish them. New and revised packages can be freely downloaded from the CRAN website at any time.

### 4.1 Installing new packages

To first install or update a package

### 4.1.1 Menus - windows

1. Download the package source (a zip file)
2. Perform the following menu sequence from Rgui

## (1) Packages

## null Install package(s) from local zip files..

Locate and select the name of the package and click the OK

### 4.1.2 Commands - UNIX

1. Download the package source (a tar.gz file)
2. From the directory containing the tar.gz file (that is from a terminal not currently engaged with R), type

R CMD INSTALL package.tar.gz
where package.tar.gz is the name of the package to be installed

### 4.2 Loading packages

During the installation process of $R$, a large number of commonly used packages installed. When $R$ is first started, only the base package is loaded. This package contains an extensive collection of functions for performing most of the basic data manipulation and statistical procedures.
To load additional packages for use during a session:

### 4.2.1 Commands

## >library (package)

where package is the name of a pre-installed package to be loaded into memory.
For example:

## >library (ctest)

loads a package called ctest which is a collection of extremely useful functions put together by Kurt Hornik for performing classical tests including t-tests, chi-squared tests and MannWhitney Wilcoxon tests.

### 4.2.2 Menus

Perform the following menu sequence from Rgui
Inle Packages
LIN Load package..
Select the package from the list and click the

## 5 DATA FILES

Table 2 lists a fictitious data set that will be used to illustrate many basic statistical procedures in R

| ID | SEX | Weight | Head length |
| :--- | :--- | ---: | :--- |
| A | Male | 126 | 19 |
| B | Male | 130 | 21 |
| C | Male | 121 | 20 |
| D | Male | 136 | 23 |
| E | Male | 139 | 22 |
| F | Female | 106 | 16 |
| G | Female | 111 | 17 |
| H | Female | 102 | 15 |
| I | Female | 99 | 13 |
| J | Female | 115 | 16 |

### 5.1 Generating a new data set

### 5.1.1 Commands

The following lines of syntax generate 3 new variables.

```
1. >wt <- C(126, 130, 121, 136, 139, 106, 111,
    102, 99, 115)
2. >head.length <- C(19, 21, 20, 23, 22, 16,
    17, 15, 13, 16)
3. >sex <- gl(2,5,10,c('Male', 'Female'))
>rats <- data.frame(sex, wt, head.length)
5. >row.names(rats) <- LETTERS [1:10]
*. >rats
```

1. Use the c (concatenation) function to assemble a collection of real numbers into a continuous variable with 10 observations. Call this vector (a series of entities - like an array) wt
2. Assemble another continuous variable with 10 observations and call it head.length
3. Use the gl function to assemble a collection of category labels for a categorical variable and assign it the name sex.
4. Use the data.frame function to generate a data frame comprising of three vectors (based on sex, wt and head.length) and assign it to an object called rats
5. Use the row. names function to add row names to the data set. LETtERS is one of a handful of useful built in vectors defined in the base package and contains a sequence of capital letters from ' $A$ ' to ' $Z$ '. Note that this step is not necessary, it purely assists in identifying individual sampling units (the individual rats in this case).
6. Print (view) the rats data frame

NOTE: the order in which values are placed into the variables is very important, as variables are usually collections of observations that are collected from the same sampling units.

There is also a primitive spreadsheet that can be used to enter and edit data from existing data frames.

## >fix(frame)

where frame is the name of an exiting data frame. To use this spreadsheet to generate a new data frame, it is first necessary to define an empty data frame before calling fix. For example to generate the rats data set via the spreadsheet:

```
1. >rats <- data.frame(row.names=0, sex=0,
    wt=0, head.length=0)
    OR
2. >rats <- data.frame(row.names=
    LETTERS[1:10], sex=gl(2,5,10, c('Male',
    'Female')), wt=0, head.length=0)
3. >fix(rats)
```

1. Use the data.frame function to generate a new data frame (rats). Arguments such as sex=0 generate blank vectors within the data set. If row names are to be entered using the spreadsheet, the row. names argument needs to appear as the first argument in the data. frame function.
2. The data.frame function can also include more complete vector definitions. In this case the row names and sex vector are predefined and wt and
head.length remain empty. Factor variables are often more efficiently and easily defined by commands whereas numberical vectors are often easier to fill using the spreadsheet.
3. Use the fix function to fill in the data frame

### 5.2 Opening an existing data set/file

R will accept (open and import) many different file types including SPSS, MINITAB and plain text.

### 5.2.1 PLAIN TEXT - comma delimited

```
1. >data <- read.table("filename", header=T,
    sep=",")
2. >data
```

1. The read.table function is used to load the file called filename (including full path if not in the current working directory) into a data frame format and is assigned the name data. The parameter header $=T$ is used to retain column titles that are in the first row of the text file (if they are present) and the parameter sep=", " specifies that the data in the text file are comma delimited. For space or tab delimited files use sep=" ".
2. List the contents of the resulting data frame. Note that the data is already in data frame format.

### 5.2.2 SPSS

```
1. >library(foreign)
2. >data <- read.spss("filename.sav")
3. >data
4. >data <- data.frame(data)
5. >data
```

1. The library function loads the foreign package which includes import filter functions for a number of data set formats including SPSS. If you have already loaded this library during the current R session (ie since you started the R program running), then there is no need to load it again, and this line can be ignored.
2. An SPSS data file with the name filename.sav (including full path if not in the current working directory) is loaded using the read.spss function into the native R format and is assigned the name data. Note that SPSS uses special type specifiers in variable names (such as a $\$$ to indicate a categorical variable) that are not legal within the names of objects in R. R converts these characters into '.' (decimal points). While this is not a problem, it can be annoying and you might want to change the name of any vectors that are affected by this.
3. Lists the contents of the imported SPSS data set
4. Usually it is preferable to quickly convert the imported data into what is called a data frame since most people find this a more intuitive way of visualizing data.
5. List the contents of the resulting data frame.

### 5.3 Importing a data set/file from the clipboard

```
1. >data <- read.table("clipboard", header=T,
    sep=" \(\\) (t")
2. >data
```

1. The read.table function is used to load the clipboard data into a data frame format and is assigned the name data. The parameter header=T is used to retain column titles that are in the first row of the text file (if they are present) and the parameter sep=" $\backslash$ t" specifies that the data in the text file are tab delimited (all data in the clipboard are tab delimeted).
2. List the contents of the resulting data frame. Note that the data is already in data frame format.

### 5.4 Coding factorial variables in imported data sets

Note, it is recommended that whenever a data set is imported from either a text file or other statistical package, categorical (factor) variables should be defined in R as factors (see section 3.3.1. This ensures that these variables are treated as categorical (rather than continuous) variables during subsequent analysis and is particularly
important for variables whose levels names are numbers. It is also worth defining the order of the levels within the factor as well

| $>$ FACTOR <- factor (FACTOR, levels=c ('b','c','a')) |  |
| :---: | :---: |

Where FACTOR is the name of a categorical variable and the ' $\mathbf{b}$ ',' $\mathbf{c}$ ',' $\mathbf{a}$ ' is an example of how the ordering of 3 levels within the factor can be defined To list or refer to a single variable (e.g. DV in a data frame (e.g. dat use the following syntax:

## >dat $\$ \mathrm{DV}$

To list the properties (attributes) of a variable or data frame use the following syntax:

```
>dat $DV
```


### 5.5 Saving a data file

### 5.5.1 Exporting as comma delimited text file

To save data (an array or list) in R, use the following commands:

```
>write.table(data,"filename",
```

    header=TRUE, sep=",")
    Where data is the name of the data frame to export and filename is the name (including path) of file to be saved.. Header=TRUE retains variable names in the saved file and sep=", " defines the data delimiter as a comma.

### 5.5.2 Storing data in R native format

To save data (an array or list) in R, use the following commands:
>dump("data", "filename")

Where data is the name of the data frame (or other object) to save and filename is the name (including path) of file to be saved.

### 5.6 Transforming variables

Biological data often requires transforming or scaling. Table 3 Common data transformations

| Transformation | Expression |
| :--- | :--- |
| $\log _{e}$ | $\log ($ VAR $)$ |
| $\log _{10}$ | $\log$ (VAR,10) |
| $\log _{10}$ | $\log 10$ (VAR) |
| $\sqrt{ }$ | sqrt (VAR) |
| arcsin | asin (sqrt (VAR)) |
| scale (mean=0, unit variance) | scale (VAR) |

where VAR is the name of the vector (variable) whose values are to be transformed.

```
1. >rats$logwt <- log(rats$wt,10)
2. >rats
```

1. Generate a new variable logDV that contains the $\log _{10}$ transformations of the variable DV
2. Print the rats data frame

### 5.7 Selecting subsets or subgroups of a data

When listing or referring to a variable for analysis, it is possible select a subset of the data by the following format:

### 5.7.1 Subsets within single vectors (variables)

Table 4 Listing or referencing subsets of the data

| Selection | Command |
| :--- | :--- |
| Values of a less than 50 | $\mathbf{a}[\mathbf{a}<50]$ |
| The first 10 values in $\mathbf{a}$ | $\mathbf{a}[1: 10]$ |
| The 20th to the 50th value of $\mathbf{a}$ | $\mathbf{a}[20: 50]$ |

```
1. >var <- sample(20:100,10, replace=TRUE)
2. >var
3. >var[1:5]
4. >var[var>50]
```

1. Use the sample function to generate a numeric vector containing 10 random numbers (sampled with replacement) between 20 and 100
2. Print the var vector
3. Print elements 1 through to 5 of the var vector
4. Print only those values of var that are greater than 50

### 5.7.2 Subsets by factor levels

Returning to the rats data set

```
1. >male.rats.wt <- rats\$wt[which (rats\$sex ==
    'Male') ]
2. >male.rats.wt \(<-\) rats\$wt[rats\$sex ==
    'Male' ]
3. >male.rats \(<-\) subset (rats, sex \(==\) 'Male')
4. >male.rats \(<-\) subset (rats\$wt, rats\$sex \(==\)
    'Male')
5. >male.rats <- subset (rats, sex=='Male',
        select=wt)
```

1. Use the which function to generate a vector the values of wt in the data set rat for which the categorical variable sex is equal to Male. Note the use of $==$. In this case it means "does the bit on the left side equal the value on the right side" (see the list of $R$ operatators on page 4)
2. Same as above only shorter
3. Use the subset function to generate a new data frame (male.rats) from the original data frame (rats) containing the values of all the vectors (variables) that were present in the data set rat for which the categorical variable sex is equal to Male.
4. Use the subset function to generate a new data frame (male.rats) from the original data frame (rats) containing only the values of wt in the data set rat for which the categorical variable sex is equal to Male.
5. Alternative for above

### 5.8 By groups

It is also possible to perform calculations on a variable separately based on groupings defined in a categorical data variable. To request calculations be performed by groups.

```
>splitDat <- split(dataFrame,GROUPING)
```

Where dataFrame is the name of the data frame (data set), GROUPING is the name of a categorical (factor) variable in the data set. This function splits the data set into a number of smaller data sets (corresponding to the number of levels/groups within the variable GROUPING). The new name (splitDat) is used to refer to the collection of new smaller datasets. Note that the original data set (dataFrame) remains unaltered. Each subset can then be referred to using the following syntax:

```
1. >split.rats <- split(rats,sex)
2. >split.rats
3. >split.rats$Male
4. >split.rats$Male$wt
```

1. Use the split function to split a data set dat according to the levels in a categorical variable (TREAT)
2. List the levels of the split data set
3. List the Male subgroup of the split.rats data frame
4. List the values of variable wt within the Male subgroup of the split.rats data frame

## 6 SUMMARY STATISTICS

### 6.1 Univariate

To calculate basic summary statistics on a whole variable, use the following syntax:

## >FUNCTION (VARIABLE)

Where FUNCTION is a statistical function (see the table 5 bellow) and VARIABLE is the name of a continuous variable

Table 5 Common summary statistic functions

| Statistic | Function command |
| :--- | :--- |
| Mean | mean |
| Variation | var |
| Standard deviation | sd |
| Number of observations | length |
| Median | median |
| Quantiles | quantile |

```
>mean (rats\$wt)
>rats.mean.wt <- mean (rats\$wt,trim=.1)
>rats.mean.wty
```

1. Use the mean function to calculate the arithmetic mean of the entire wt variable within the rats data frame
2. Use the mean function to calculate the trimmed mean (10\%) value for the entire wt variable within the rats data frame and assign the value to a vector called rats.mean.wt
3. Print the value of the rats.mean.wt vector (trimmed mean).

### 6.2 Bivariate

>tapply (VARIABLE, GROUPING, FUNCTION)

Where VARIABLE is the name of the variable that you want to calculate the statistic for, GROUPING is the name of a categorical (factor) variable and FUNCTION is the name of the statistic that you want to perform (see table 5 for a list of common summary statistics). The function tapply applies a function to a variable separately for each level within a categorical variable. The above table lists some common summary statistics and the corresponding functions.

```
. >rats.mean.wt <- tapply(rats$wt,rats$sex,
    mean)
    >rats.mean.wt
>rats.sd.wt <- tapply(rats$wt,rats$sex, sd)
4. >rats.n.wt <- tapply(rats$wt,rats$sex,
    length)
. >rats.se.wt <- rats.sd.wt/sqrt(rats.n.wt)
6. >dat.stats.wt <-cbind(mean=rats.mean.wt,
    SE=rats.se.wt)
>dat.stats.wt
```

1. Use the tapply function to calculate the mean of wt for each level of sex within the rats data set and store the results as an array of numbers called rats.mean.wt
2. Print the rats.mean.wt array
3. Use the tapply function to calculate the standard deviation of wt for each level of sex within the rats data set and store the results as an array of numbers called rats.sd.wt
4. Use the tapply function to calculate the number of wt observations for each level of sex within the rats data set and store the results as an array of numbers called rats.n.wt
5. Calculate the standard error of the mean of wt for each level of sex using the formula $(S E=s d / \sqrt{n})$ ) and store the results as an array of numbers in a variable called rats.se.wt
6. Use the cbind function (which binds elements - in this case arrays of numbers - by columns) to combine the two 1-dimensional arrays into a singe 2 dimensional array called rats.stats.wt. Note that the column names in this 2-dimensional array are defined as parameters in the cbind function.
7. List the resulting 2-dimensional array

## 7 TWO SAMPLE TESTS

### 7.1 Independent t-test

The following syntax performs a pooled (equal) variance student t-test

```
>t.test (VARIABLE~ GROUPING,var.equal=TRUE)
```

Where VARIABLE is the name of a dependent variable and GROUPING is the name of a categorical (factor) variable with two levels. The var. equal parameter is set to TRUE for an equal variance t-test or FALSE for a separate variance t-test.

```
1. >rats.t <- t.test(rats$wt~rats$sex,
    var.equal=TRUE)
2. >rats.t
```

1. Perform a pooled variance t-test to compare the mean wt variable for the two levels of the sex factor and store the result in an object called rats.t
2. List the contents of the above object - e.g. the results of the t-test

### 7.2 Mann-Whitney-Wilcoxon test

The following syntax performs a Mann-Whitney-Wilcoxon test

## >wilcox.test (VARIABLE~ GROUPING)

Where VARIABLE is a continuous dependent variable and GROUPING is the name of a categorical (factor) variable with two levels.

```
1. >rats.wilcox <- wilcox.test(rats$wt
    rats$sex)
2. >rats.wilcox
```

1. Perform a Mann-Whitney-Wilcoxon (nonparametric, rank based test) to compare the ranks of the wt variable for each of the two levels of the sex factor and assign the resulting output to an object called rats.wilcox
2. List the Mann-Whitney-Wilcoxon output

### 7.3 Paired t-test

Paired data is usually represented a little differently, reflecting the paired manner in which the observations in the groups were collected. The following fictitious data set consists paired observations of the number of sea cucumbers recorded in permanent quadrats before and after a cyclone. Pairing data in this manner takes into consideration that sea cucumbers are distributed very patchily and that the number of sea cucumbers is likely to vary considerably between individual quadrats.
Table 2 A fictitious data set used to illustrate paired t-tests in R

| Quadrat | Before | After |
| :--- | :--- | :--- |
| Q1 | 12 | 9 |
| Q2 | 18 | 11 |
| Q3 | 9 | 8 |
| Q4 | 14 | 8 |
| Q5 | 22 | 17 |
| Q6 | 7 | 6 |

Generate the above data set using similar procedures as for the rats data set (see section 3.3). Hint, use the vector names before and after, use pair labels to generate the row names and call the data frame cucumber.

## >t.test (VARIABLE1, VARIABLE2)

Where VARIABLE1 and VARIABLE2 represent the paired variables

```
1. >cucumber.pt <- t.test(before, after,
    data=cucumber, paired=TRUE)
2. >cucumber.pt
3. >matplot (t (cucumber),type=' l')
```

1. Use the t.test function to perform a paired t-test to test the null hypothesis that the mean difference between before and after pairs equals 0 and store the result in an object called cucumber.pt
2. List the contents of the above object - e.g. the results of the paired t -test
3. Use the matplot and $t$ functions to generate a graph that represents the Before-After trend for each quadrat (as lines). The $t$ function is used to transpose the data.frame such that the variables are in rows as required by the matplot function.

The type=' $l^{\prime}$ argument specifies that the graph should consist of lines rather than points

Incidently, it is also possible to analyze this data set when the data frame is setup in the format for independent $t$-tests. While this is not recommended it does illustrate the flexibility of R. In order to perform the t-test, we need to convert the data into the format used for classical hypothesis tests. That is one vector that lists the levels of the treatment and another variable that lists the observations. While it would be relatively easy to generate this data frame from scratch, for the purpose of introducing another useful $R$ function, the existing paired data frame will be converted from what is known as 'wide' format to the 'long' format. The paired t-test will then be performed on this converted data frame.

```
1. >cuc <- reshape(cucumber, varying
    = list(names(cucumber)),
    times=names (cucumber),
    v.names=' cucumbers', direction=' long',
    ids=row.names (cucumber)
>cuc$times <- factor(cuc$time,
    levels=c('before,' after'))
3. >cuc
4. >cuc.pt <- t.test(cucumbers ~ time,
    data=cucumber, paired=T)
>cuc.pt
```

1. Use the reshape function to convert the wide format data frame (cucumber) into long format data (cuc). The first argument is the name of the data frame to convert, the second argument (varying=list (names (cucumber))) lists which variables are to be transformed from multiple columns into a single column. The third argument (times=names (cucumber)) determines the names of the levels for a new categorical variable from the variable names in the original data frame. The forth argument (v.names=' cucumbers') provides a name for the newly generated dependent variable. The fifth argument (direction=' long') indicates that the data frame should be converted to long format. Finally, the last argument (ids=row.names(cucumber), defines the labels to put in a variable that is used to identify individual sampling units.
2. Use the factor function to define the vector time
as a factor variable and specifically force the order of the levels
3. Use the $t$.test function to perform a paired $t$-test on the data within the newly formed data frame cuc
4. Print the results of the paired $t$-test

## 8 CORRELATION \& REGRESSION

### 8.1 Correlation

Revisiting the rats data set that was generated in section 3.3. This will be used to examine the strength of the association between the weights and head lengths of the rats.
>cor.test (VARIABLE1, VARIABLE2,
method="pearson")
Where VARIABLE1 and VARIABLE2 are two continuous variables. The parameter method="pearson" specifies Pearson's product moment correlation coefficient. Alternatives include method='spearman' and method="kendall" for Spearman rank $\rho$ and Kendall rank $\tau$ respectively.

```
>rats.cor \(<-\) cor.test(wt,head.length, data
    = rats, method='pearson' )
2. >rats.cor
```

1. Use the cor.test function to calculate the Pearson's product moment correlation coefficient and associated $p$-value for the association of wt and head.length in the data set rats and assign the output to an object named rats.cor. Note that as the direction of causality is not implied in correlation, it does not matter which of the vectors (variables) is listed in the cor. test function first
2. View the correlation output

### 8.2 Regression

To illustrate regression, the following fictitious data set will be used. Samples were collected from 12 lakes to examine the relationship between the number of gastropod (snail) species and the level of salinity. Species is
the dependent (response) variable and salinity is the independent (predictor) variable.
Table 7 Fictitious data set to illustrate linear regression in R

| Lake | species | salinity |
| :--- | :--- | :--- |
| 1 | 5 | 21.5 |
| 2 | 2 | 43.7 |
| 3 | 4 | 19.4 |
| 4 | 8 | 19.3 |
| 5 | 5 | 22.8 |
| 6 | 10 | 6.7 |
| 7 | 9 | 10.5 |
| 8 | 13 | 5.5 |
| 9 | 8 | 2.0 |
| 10 | 10 | 12.7 |
| 11 | 7 | 27.8 |
| 12 | 20 | 0.8 |

Generate the above data set using similar procedures as demonstrated in section 3.3. Hint, use the vector names species and salinity, use pair labels to generate the row names and call the data frame snails.

```
>lm(DEPENDENT ~ INDEPENDENT)
```

Where DEPENDENT is a continuous dependent variable and INDEPENDENT is a continuous independent variable (with respect to the dependent variable). The lm function evaluates any linear model. The statement of the form DEPENDENT INDEPENDENT is a linear model.

```
1. >snails.lm <- lm(snails$species
    snails$salinity)
2. >snails.lm <- lm(species ~ salinity,
    data=snails)
3. >anova(snails.lm)
4. >summary(snails.lm)
5. >influence.measures(snails.lm)
6. >par(mfrow=c (2,2))
7. >plot(snails.lm)
8. >par(mfrow=c (1,1))
9. >plot(species ~ salinity, data=snails)
10. >abline(snails.lm)
```

1. Use the 1 m function to evaluate the linear relationship between species and salinity in the snails
data frame and assign the output object to the name snails.Im. In the process of performing the linear regression, many results/diagnostics are calculated throughout the process - far too many to be displayed in full. These are all stored in the object pointed to be the variable snails.Im and a number of different functions are used to display or summarize the different linear model outputs.
2. An alternative to the previous command. Using the data= parameter prevents having to repeatedly prepend each variable name with the data frame name
3. The anova function will summarize the Analysis of Variance (partitioning of total variation in the dependent variable into components explained and unexplained by the linear model)
4. The summary function will summarize the estimated regression coefficients and associated hypothesis tests
5. The influence.measures function lists a range of regression diagnostics used to evaluate the influences of each observation on the linear regression outcome. The most important are cook.d (Cooks D) and hat (leverage)
6. Use the par function to setup the graphics device (Graph window) ready to accept 4 graphs on one page with a $2 x 2$ layout
7. Produces 4 diagnostic plots (Plot $1=$ residual plot, Plot 2 = normal Q-Q plot, Plot $3=$ scale-local plot $\&$ Plot 4 = Cook's D plot)
8. Use the par function to restore the graphics device to display only single graphs per page
9. Use the plot function to plot to generate a scatterplot of species against salinity
10. Use the abline function to fit a line of best fit through the data using the regression coefficients to determine the slope and intercept of the line

## 9 ANOVA

To illustrate simple ANOVA, the following fictitious data set will be used. The diversity of arboreal mammals occupying forest patches of differing disturbance frequencies ('High', 'Low' and 'Natural') were examined across a
large scale forest matrix. Disturbance frequencies were replicated 4 times and therefore a total of 12 different forest patches were examined.
Table 9 Fictitious data set to illustrate ANOVA in R

| High | Low | Natural |
| :--- | :--- | :--- |
| 1 | 3 | 7 |
| 3 | 4 | 6 |
| 1 | 3 | 6 |
| 0 | 2 | 5 |

Note the above data set has been presented in 'wide' format to conserve space. Generate the above data set using similar procedures as demonstrated in section 3.3. Hint, use the vector names treat and abund to represent the factorial variable (listing the levels of the disturbance frequency) and dependent variable (number of arboreal mammal species). Call the data frame mammals and provide unique patch names for the row names.

```
1. >abund <- c(1, 3, 1, 0, 3, 4, 3, 2, 7, 6, 6, 5)
2. >treat <- gl(3,4,12,lab=c('High', 'Low',
    'Natural'))
3. >mammals <- data.frame(treat, abund,
    row.names=paste('Patch', 1:12, sep='_'))
4. >mammals
```

1. Use the c function to generate the dependent variable
2. Use the gl function to generate the factor variable
3. Use the data.frame function to generate the data frame. Note that the argument row.names=paste('Patch', 1:12, sep $=^{\prime}-^{\prime}$ ) is used to generate the row names during the data frame generation process. The paste function was used to generate the unique labels (Patch-1 through to Patch-12)

### 9.1 Single factor ANOVA

## >aov (DEPENDENT~ GROUP ING)

Where DEPENDENT is a continuous dependent variable and GROUPING is an independent categorical variable with 2 or more levels. The aov function calls the lm function (see Regression) and therefore evaluates a linear model. The statement of the form DEPENDENT GROUPING is a linear model.

```
. >mammals.aov <- aov(abund ~ treat,
    data=mammals)
>anova (mammals.aov)
3. >influence.measures(mammals.aov)
4. >par(mfrow=c (2,2))
. >plot (mammals.aov)
6. >par(mfrow=c (1,1))
```

1. Use the aov function to compare the group means for the variable abund in the mammals data frame and assign the output object to the name mammals.aov. In the process of performing the analysis of variance (as with other linear models), many results/diagnostics are calculated. These are all stored in the object pointed to be the variable mammals.aov and a number of different functions are used to display or summarize the different linear model outputs. ANOVA is a specific form of linear model that operates on categorical predictors. Likewise, the aov function is a specific type of 1 m function that partitions variance in to explained and unexplained and builds analysis of variance tables. While, the same result would be obtained using the lm function, the resulting model coefficients are of little value in ANOVA. Furthermore, the resulting aov object that is generated contains parameters lacking from the more general lm object that facilitate subsequent post-hoc and planned comparisons testing
2. The anova function will summarize the Analysis of Variance (partitioning of total variation in the dependent variable into components explained and unexplained by the linear model). Note that as aov is a specific form of lm in which the estimated coefficients are usually of little value, the functions anova and summary produce the same output when applied to an aov object
3. The influence.measures function lists a range of regression diagnostics used to evaluate the influences of each observation on the linear regression outcome. The most important are cook.d (Cooks D) and hat (leverage)
4. Setup the graphics window such that 4 graphs will be produced on the one page
5. Produces 4 diagnostic plots (Plot $1=$ residual plot, Plot 2 = normal Q-Q plot, Plot 3 = scale-local plot \& Plot 4 = Cook's D plot)
6. Restore the graphics window to the default setting of a single graph per page

### 9.2 Post Hoc Tukey's test

```
>summary(simtest (DEPENDENT ~ GROUPING,
data=data, type="Tukey"))
```

Where simtest is a function that calculates a range of post-hoc tests (including the Tukey Honest Significant Differences).

```
>library (multcomp)
>mammals.tuk <- summary (simtest (abund
    treat, data=mammals, type="Tukey")
. >mammals.tuk
```

1. Use the library function to load the multcomp package (if not already loaded). Note that the multcomp package itself requires the mvtnorm package, so ensure that the latter is also installed (although not necessarily loaded as loading the multcomp package will automatically load it)
2. Use the simtest function to calculate the Tukey Honest Significant Differences arising from the model supplied (abund ~ treat)
3. List the differences and intervals

### 9.3 Planned comparisons

Planned comparisons are performed following a significant global ANOVA
This is a two stage process;

```
>contrasts(GROUPING) <- cbind(c(numeric
list),...)
```

where (GROUPING) is the name of the factorial variable and numeric list is a list of contrast coefficients for the factorial variable.

```
>contrasts (mammals$treat <-
    cbind(c(1, -1,0), c(1,1,-2))
2. >round(crossprod(contrasts(mammals$treat)),
    2)
```

1. Use the cbind function (which binds data together in columns) to generate a list of contrast coefficients. The number of entries must not exceed 1 minus the number of levels within the categorical variable.
2. Use the crossprod function to check that the defined contrasts are orthogonal.
Fit or re-fit and summarize the global ANOVA:
```
>AOV <- aov(DEPENDENT ~ GROUPING, data=data)
>summary(AOV, split = list(GROUPING =
    list("LABEL1"=1, "LABEL2"=2, ...)))
```

Where the aov model is run with the intention of performing a few specific planned comparisons. DEPENDENT is a dependent variable, GROUPING is a categorical (factor) variable

```
1. >mammals.aov <- aov(abund~treat,
    data=mammals)))
2. >summary(mammals.aov, split = list(treat
    = list("High vs Low"=1, "(High Low) vs
    Natural"=2)))
```

1. Use the aov function to compare the group means for the variable aov in the mammals data frame and assign the output object to the name mammals.aov. The model incorporates the predefined contrasts to define which planned comparisons to perform. The resulting ANOVA aov object is assigned the name mammals.aov
2. Use the summary function to view the results of the ANOVA and planned comparisons (mammals.aov). The split argument is used to generate the labels that will be used in the table to denote the specific comparison tests. These entries should be in the same order as the defined contrasts. Each entry takes on the form such as "LABEL1"=c(CONTRASTS1) where LABEL1 is a label (string) that will be used to denote the comparison in subsequent tests, and CONTRASTS1 is
a set of contrast coefficients. The number of entries must not exceed 1 minus the number of levels within the categorical variable.

### 9.4 Factorial ANOVA

To illustrate factorial ANOVA, the following fictitious data set will be used. The water loss of leaves at 2 temperatures ( $20^{\circ}$ and $30^{\circ}$ ) and 3 humidities (45, 75 and 100\%) Table 9 Fictitious data set to illustrate multifactor ANOVA in R

| Temp | $\mathbf{2 0}$ |  |  | $\mathbf{3 0}$ |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Humidity | $\mathbf{4 5}$ | $\mathbf{7 5}$ | $\mathbf{1 0 0}$ | $\mathbf{4 5}$ | $\mathbf{7 5}$ | $\mathbf{1 0 0}$ |
|  | 66 | 72 | 100 | 82 | 86 | 100 |
|  | 54 | 82 | 99 | 82 | 90 | 94 |
|  | 69 | 86 | 92 | 78 | 86 | 98 |
|  | 61 | 86 | 100 | 80 | 88 | 99 |

Note the above data set has been presented in 'wide' format to conserve space. Generate the above data set using similar procedures as demonstrated in section 3.3. Hint, use the vector names temp, humidity and water to represent the 2 factorial variables (temperature and humidity) and dependent variable (water loss by the leaves). Call the data frame leaves and provide unique leaf names for the row names.

```
1. >water <- C (66, 54, 69, 61, 72, 82, 86, 86,
    100, 99, 92, 100, 82, 82, 78, 80, 86, 90,
    86, 88, 100, 94, 98, 99)
2. >temp <- gl (2,4,24,lab=c (20, 30))
3. >humidity <- gl(3,4,24,lab=c(45, 75, 100))
4. >leaves <- data.frame(temp, humidity,
    water, row.names=paste('Leaf', 1:24,
    sep=''))
5. >leaves
```

```
>aov (DEPENDENT FACTOR1 * FACTOR2 )
```

Where the aov function is used to evaluate the effects of two factors (FACTOR1 and FACTOR2) on the dependent variable DEPENDENT

```
>leaves.aov <- aov (water ~ temp * humidity,
    data=leaves)
2. >anova (leaves.aov)
. >influence.measures(leaves.aov)
4. >par (mfrow=c \((2,2)\) )
5. >plot(leaves.aov)
6. \(>\operatorname{par}(m f r o w=c(1,1))\)
```

1. Use the aov function to compare the group means for the variable water in the leaves data frame and assign the output object to the name leaves.aov.
2. The anova function will summarize the Analysis of Variance (partitioning of total variation in the dependent variable into components explained and unexplained by the linear model). Note that as aov is a specific form of lm in which the estimated coefficients are usually of little value, the functions anova and summary produce the same output when applied to an aov object
3. The influence.measures function lists a range of regression diagnostics used to evaluate the influences of each observation on the linear regression outcome. The most important are cook.d (Cooks D) and hat (leverage)
4. Setup the graphics window such that 4 graphs will be produced on the one page
5. Produces 4 diagnostic plots (Plot $1=$ residual plot, Plot 2 = normal Q-Q plot, Plot 3 = scale-local plot $\&$ Plot 4 = Cook's D plot)
6. Restore the graphics window to the default setting of a single graph per page

As for single factor ANOVA (see section 9.1), except enter 2 or more factors in Factors box. SYSTAT will then do a fully factorial ANOVA. To plot interactions, see section 12.4 below. Note that neither planned comparisons or post hoc tests can be performed on multifactor ANOVA's. If the interaction term is not significant, then break the analysis down and explore each of the simple main effects separately. If the interaction is significant, explore the effects of one factor separately for each level of the other factor(s).

### 9.4.1 Unbalanced multifactor designs

The balance of a design (model) is assessed with the following command;

```
>!is.list(replications(model formula,
data=data))
```

where model formula is the model formula you intend to use to fit the linear model. If the above command returns a 'FALSE', then the model is not balanced (unequal replication), otherwise it is balanced.

If the model is unbalanced, it is necessary to use Type II SS. This is done with following commands;

```
1. >library(biology)
2. >>AnovaM(AOV, type="II")
```

where $\mathbf{A O V}$ is the name of the fitted model.

```
1. >leaves.aov <- aov(water ~ temp * humidity,
    data=leaves)
2. >library(biology)
3. >AnovaM(leaves.aov, type="II")
```

1. Use the aov function to compare the group means for the variable water in the leaves data frame and assign the output object to the name leaves.aov.
2. Load the biology package
3. The Anovam function will summarize the Analysis of Variance (partitioning of total variation in the dependent variable into components explained and unexplained by the linear model) using Type II sums of squares.

### 9.5 Nested ANOVA

To illustrate nested ANOVA, the following fictitious data set will be used. The data were collected to examine the effects of Phosphorus addition on the growth rate of Banksia seedlings. Seedlings were planted in 6 plots, 3 of which had Phosphorus added. The growth of three seedlings per plot were measured.

Table 11 Fictitious data set to illustrate nested ANOVA in R

| Treatment | Added |  |  | Control |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Plot | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ | $\mathbf{6}$ |
|  | 12 | 9 | 17 | 5 | 4 | 7 |
|  | 15 | 11 | 9 | 7 | 12 | 11 |
|  | 13 | 13 | 10 | 8 | 8 | 10 |
|  |  |  |  |  |  |  |

Again to conserve space, the above data set has been presented in 'wide' format. Generate the above data set using similar procedures as demonstrated in section 3.3. Hint, use the vector names treat, plot and growth to represent the factor variables (Phosphorus added or control), the nesting factor (plots) and dependent variable (growth rate of seedlings). Call the data frame seedlings and provide unique seedling identities for the row names.

```
1. >growth \(<-c(12,15,13,9,11,13,17,9\),
    10, 5, 7, 8, 4, 12, 8, 7, 11, 10)
2. >treat \(<-\mathrm{gl}\left(2,9,18,1 \mathrm{ab}=\mathrm{c}\left({ }^{\prime}\right.\right.\) Added',
    'Control'))
3. >plot <- gl \((6,3,18,1 \mathrm{ab}=\mathrm{c}(1: 6)\),
    row. names=paste ('Seedling', 1:6, sep=' -' ) )
4. >seedlings <- data.frame(treat, plot,
    growth)
5. >seedlings
```

```
>aov(DEPENDENT ~ GROUPING + Error(GROUPING
    %in% NEST))
```

Where the aov function is used to evaluate the effects of a fixed factor GROUPING and a random nesting factor NEST on the mean DEPENDENT variable.

```
1. >seedlings.aov <- aov(growth ~ treat +
    Error(treat %in% plot), data=seedlings)
2. >summary(seedlings.aov)
3. >summary(aov(growth ~ treat/plot,
    data=seedlings))
4. >influence.measures(seedlings.aov$[2])
5. >plot (seedlings.aov[[2]]$residuals,
    seedlings.aov[[2]]$fitted)
```

1. Use the aov function to compare the group means for the variable growth in the seedlings data frame
using a nested ANOVA model and assign the output object to the name seedlings.aov. Note that the expression + Error (treat \%in\% plot) defines the correct error term for the effects of the main fixed effect (treat) when the nesting factor (plot) is a random factor.
2. List the resulting ANOVA table. Note that the effect of the nesting factor is not calculated. However, as this is a random factor introduced purely for the purpose of reducing some of the unexplained variability, a formal analysis of its effect is of little value.
3. Should you have a desperate need to formally test the effect of the nested random factor, run the model as if the nesting factor was fixed - just remember to ignore the test of the main fixed effect as this will be incorrect.
4. The influence.measures function lists a range of regression diagnostics used to evaluate the influences of each observation on the linear regression outcome. Since the seedling.aov object has multiple error strata, it is necessary to define which strata the diagnostics should be generated for. The most important are cook.d (Cooks D) and hat (leverage)
5. Produces a diagnostic residual plot

### 9.6 Randomized Block

To illustrate Randomized block ANOVA, the following fictitious data set will be used. The contribution of stream macro-invertebrates to leaf litter decay was investigated using submerged packs of leaves that were either enclosed in a fine exclusion mesh (to prevent access by invertebrates) or not completely enclosed (Controls). As streams are very patchy environments, treatments were spatially blocked in an attempt to reduce some of the unexplained variation. Table 11 Fictitious data set to illustrate nested ANOVA in R

| Block | Exclusion | Control |
| :--- | :--- | :--- |
| 1 | 43 | 74 |
| 1 | 28 | 56 |
| 1 | 35 | 58 |
| 1 | 51 | 88 |
| 1 | 37 | 63 |
| 1 | 39 | 78 |

$\overline{\text { Again to conserve space, the above data set has been }}$
presented in 'wide' format. Generate the above data set using similar procedures as demonstrated in section 3.3. Hint, use the vector names treat, block and prop to represent the factor variable (invertebrates Excluded or Control), the blocking factor (blocks) and dependent variable (proportion of leaf material decayed). Call the data frame decay.

```
1. \(>\) prop \(<-c(43,28,35,51,37,39,74,56\),
    \(58,88,63,78)\)
. >treat <- \(\mathrm{gl}(2,6,12, \mathrm{lab}=\mathrm{c}(\) 'Exclusion',
    'Control'))
3. >block <- gl(6,1,12, lab=LETTERS[1:6])
4. >decay <- data.frame(treat, block, prop)
5. >decay
```


## >aOv (DEPENDENT GROUPING + BLOCK)

Where the aov function is used to evaluate the effects of a fixed factor GROUPING and a blocking factor BLOCK on the mean DEPENDENT variable.

```
1. >decay.aov <- aov(prop ~ block + treat,
    data=decay)
2. >summary(decay.aov)
3. >influence.measures(decay.aov)
. >par (mfrow=c (2,2))
5. >plot(decay.aov)
6. >par(mfrow=c (1,1))
```

1. Use the aov function to compare the group means for the variable prop in the block data frame using a randomized block ANOVA model and assign the output object to the name decay.aov. Although it doesn't strictly matter which factor (the treatment or the blocking) appears first in the model formula, putting the blocking factor first reminds you of the position of each of the factors in the design hierarchy
2. List the resulting ANOVA table.
3. The influence.measures function lists a range of regression diagnostics used to evaluate the influences of each observation on the linear regression
outcome. The most important are cook. d (Cooks D) and hat (leverage)
4. Setup the graphics window such that 4 graphs will be produced on the one page
5. Produces 4 diagnostic plots (Plot $1=$ residual plot, Plot $2=$ normal Q-Q plot, Plot $3=$ scale-local plot $\&$ Plot 4 = Cook's D plot)
6. Restore the graphics window to the default setting of a single graph per page

### 9.6.1 Sphericity

For methods of dealing with sphericity, please refer to the Eworksheets.

### 9.7 Split-plot \& Repeated Measures

### 9.7.1 Factors fixed, plot random

>aOv (DEPENDENT ~ BETWEEN + Error (PLOT \%in\%
BETWEEN) + WITHIN + BETWEEN:WITHIN)
Where BETWEEN is a fixed between plot (or subject) effect, PLOT is the random plot (subject) effect, WITHIN is a fixed within plot (subject) effect and BETWEEN:WITHIN is the within plot (subject) interaction between the two fixed factors. The symbol : denotes a cross (interaction term) and the symbol \%in\% denotes nesting. Note that : can also be used to denote nesting.

To illustrate Split-plot ANOVA in R, a modified version of the decay data set will be used. If surface shade cloth was fitted above half (randomly allocated) of the plots (to shade from the sun) and the other three plots were left exposed, then it becomes a split-plot design. The shading treatment becomes the between plots (blocks) factor and the exclusion treatment and exclusion treatment by shading treatment become the within plot factors. To conform with popular naming conventions, the name block will be changed to plot

```
1. >decay$plot <- decay$block
2. >shade <- gl(2,3,12, lab=c('Shaded',
    'Exposed'))
3. >decay <- data.frame(decay,shade)
4. >decay.aov <- aov(prop ~ shade + Error(plot
    %in% shade) + treat + shade:treat,
    data=decay)
    OR
5. >decay.aov <- aov(prop ~ shade*treat +
    Error(plot %in% shade), data=decay)
6. >>summary (decay.aov)
7. >summary(aov(prop ~ shade + plot %in% shade
    + treat + shade:treat, data=decay))
    OR
8. >1-pf(3.06/1.807, 12, 36)
9. >influence.measures(decay.aov[[2]])
10. >influence.measures(decay.aov[[3]])
11. >plot(decay.aov[[2]]$res ~
    decay.aov[[2]]$fit)
12. >plot (decay.aov[[3]]$res
    decay.aov[[3]]$fit)
13. >interaction.plot (decay$shade,
    decay$treat, decay$prop)
```

1. Copy the variable block to the variable plot. This is purely to conform to the different naming convention used for randomized block versus split plot designs, but of course has absolutely no impact on the analysis
2. Use the gl function to generate a categorical variable (assigned the name shade) with two levels ('Shaded', 'Exposed') each item replicated once in succession to generate a maximum of 12 entries. This can be a fictitious, independent, fixed, between plot (subject) effect. Note again that the order of the observations is important.
3. Use the c function to generate a continuous variable (assigned the name DV) with 12 observations. This can be a fictitious dependent variable.
4. Use the data.frame function to assimilate the 4 variables into a single data set and assign it the name plot
5. Use the aov function to compare the group means for the variable prop in the decay data frame using
a split-plot ANOVA model where the between and within plot (subjects) effects (shaded and treat respectively) are fixed and the plot (plot) is a random factor. Assign the output object to the name decay.aov. The aov object created contains 3 strata that correspond to the 3 error strata for the model. Stratum one contains an estimate of the overall mean. However, as the degrees of freedom of this estimate is 0 , this stratum is usually ignored. Stratum two lists the between subject (plot) effects and stratum 3 lists the within subject (plot) effects.
6. Alternative, shorthand syntax for performing the same split-plot ANOVA described above. The term shaded*treat will expand to shaded + treat + shaded:treat
7. List the resulting ANOVA table.
8. Should you have a desperate need to formally test the effect of the nested random factor, run the model as if the nesting (plot or subject) factor was fixed - just remember to ignore the test of the main between fixed effect as this will be incorrect.
9. Alternatively, to get a quick estimate of the effect of the nesting effect, use the pf function (probably distribution function for an F-ratio) to determine the probability of obtaining an F-ratio (3.06/1.807) or greater from a F distribution with 12 and 36 degrees of freedom if the null hypothesis is true and there is no effect of the nesting factor. The values 3.06 and 12 represent the estimate MS and degrees of freedom respectively for the effect of the nesting factor and the values 1.807 and 36 represent the residual MS and degrees of freedom respectively.
10. Use the influence.measures function to lists a range of regression diagnostics used to evaluate the influences of each observation on the estimates of between subjects (plots) effects (stratum 2). The most important are cook.d (Cooks D) and hat (leverage)
11. Use the influence.measures function to lists a range of regression diagnostics used to evaluate the influences of each observation on the estimates of within subjects (plots) effects (stratum 3). The most important are cook.d (Cooks D) and hat (leverage)
12. Create a residual plot for the between plots (subject) effect (stratum 2)
13. Create a residual plot for the within plots (subject) effect (stratum 3)
14. Use the interaction.plot to represent the within subject (plots) interaction

### 9.7.2 Sphericity

For methods of dealing with sphericity, please refer to the Eworksheets.

## 10 Frequency analysis

### 10.1 Goodness of fit tests

```
>chisq.test(COUNTS, p=c (PROPORTIONS))
```

Where the chisq.test function is used to compare the ratio in the COUNTS variable (observed ratio) to the proportions ratio specified in PROPORTIONS (Expected ratio)

```
>sex <- c \((36,44)\)
>chisq.test (sex)
>chisq.test(sex, \(\mathrm{p}=\mathrm{c}(\mathbf{4} / 9,5 / 9)\) )
```

1. Use the c function to generate an array of counts to represent the observed ratio and assign it the name sex. For example the observed sex ratio might be 36:44 (male:female)
2. Use the chisq.test function to evaluate whether the observed ratio (sex) differs significantly from a 1:1 ratio
3. Use the chisq.test function to evaluate whether the observed ratio (sex) differs significantly from a proportional ratio of 4/9,5/9 (in this case 4:5)

### 10.2 Contingency tables

To illustrate contingency tables, the following fictitious data set will be used. 123 birds observed during a survey were cross-classified according to 2 variables, Height of canopy (ground level, middle canopy or treetops) and tree type (Native or Exotic)

Table 12 Fictitious data set to illustrate contingency tables in R

| Tree type | Ground | Middle | Tree top |
| :--- | :--- | :--- | :--- |
| Native | 12 | 24 | 19 |
| Exotic | 26 | 31 | 11 |

The data above are presented in collated table format. Generate the above data set using similar procedures as demonstrated in section 3.3. Hint, use the vector names height and type to represent the factor variables (Tree height and type), and the name count for dependent variable (number of birds in each cross-classification). Call the data frame birds.

```
1. >height <- gl(3,1,6, labels = c('Ground',
    'Middle', 'Top'))
2. >type <- gl(2,3,6, labels = c('Native',
    Exotic'))
3. >counts <- c(12,24,19,26,31,11)
4. >birds <- data.frame(height, type, counts)
```

chisq.test (XTABLE, correct $=F$

Where the function chisq.test is used to test the independence of 2 or more categorical variables defined in the contingency table (XTABLE

```
1. >birds.tab <- xtabs(counts ~ height + type,
    data=birds)
2. >birds.chi <- chisq.test(birds.tab,
    correct=F)
3. >birds.chi
4. >birds.chi$residuals
```

1. Use the xtabs function to convert the data in the data frame birds into a two-way contingency table assigned the name birds.tab
2. Use the chisq.test function to test for independence between the 2 categorical variables in the contingency table birds.tab
3. List the output of the Pearson's $\chi^{2}$ test
4. List the standardized residuals in table format

## 11 MULTIVARIATE ANALYSIS

To illustrate Multivariate analysis in R, the following fictitious data set will be used. The abundance of 5 species of cockroach were measured from 6 sites Table 13 Fictitious data set to multivariate analysis in R

| Sites | Sp.a | Sp.b | Sp.c | Sp.d | Sp.e |
| :--- | :--- | :--- | :--- | :--- | :--- |
| BCI | 0 | 14 | 28 | 0 | 68 |
| LC | 0 | 38 | 4 | 0 | 29 |
| FOR | 0 | 1 | 1 | 0 | 0 |
| BOQ | 0 | 1 | 0 | 0 | 0 |
| MIR | 0 | 4 | 18 | 0 | 11 |
| CORG | 0 | 0 | 0 | 0 | 24 |

The data above are presented with variable (species) in columns and objects or sampling units (SU's) in rows. Generate the above data set using similar procedures as demonstrated in section 3.3.

```
1. >Sp.a <- c(0,0,0,0,0,1)
2. >Sp.b <- c(14,38,1,1,4,0)
3. >Sp.c <- c(28,4,1,0,1,0)
4. >Sp.d <- c (7,0,0,0,0,0)
5. >Sp.e <- c (68,29,0,0,11,24)
6. >cockroach <- data.frame(Sp.a, Sp.b, Sp.c,
    Sp.d, Sp.c)
7. >row.names(cockroach) <- c('BCI', 'LC',
    'FORT', 'BOQ', 'MIR', 'CORG')
```


### 11.1 PCA

```
>princomp (~VARIABLE1+VARIABLE2+VARIABLE3+ ...,
    cor=T)
```

Where the princomp factor is used to perform the PCA (centering and axis rotation) on the list of variables VARI-
ABLE1 + VARIABLE2 + VARIABLE3 + .. supplied. The parameter cor=T specifies that a correlation (rather than covariance) matrix should be generated.

```
1. >cockroach.pca <- princomp(~ Sp.a + Sp.b
    + Sp.c + Sp.d + Sp.e, data=cockroach,
    cor=T)
2. >cockroach.pca <- princomp(cockroach,cor=T)
3. >cor(cockroach)
4. >cockroach.pca$sd}\mp@subsup{}{}{2
5. >screeplot(cockroach.pca, type=' l')
6. >summary (cockroach.pca)
7. >biplot (cockroach.pca)
```

1. Use the princomp function to perform PCA on the list of variables from the cockroach data frame
2. An alternative, shorthand way of performing the same PCA as above when all of the variables in the cockroach data frame are to be included in the analysis
3. Generate a matrix of Pearson correlation coefficients between object pairs
4. List the latent Roots (Eigenvalues) for all the new principal components
5. Generate a scree plot. The argument type=' $1^{\prime}$ specifies lines rather than bars for the graph.
6. List explained variance etc
7. Generate the ordination plot

### 11.2 Multidimensional scaling

>isoMDS (DIST)

Where the function isoMDS is used to perform Kruskal's non-metric multidimensional scaling on a matrix of distances (assumed to represent dissimilarities)

```
1. >library(vegan)
2. >cockroach.dist <- vegdist(cockroach,
    method='bray' )
3. >cockroach.st <- decostand(cockroach, 2,
    method="max")
    OR
4. >cockroach.st <- wisconsin(cockroach)
5. >cockroach.dist <- vegdist(cockroach.st)
6. >library (MASS)
7. >cockroach.mds <- isoMDS(cockroach.dist,
    k=2)
8. >repeat{
9. >+cockroach.mds1<- isoMDS (cockroach.dist,
    initMDS(cockroach.dist), maxit=200,
    trace=FALSE, tol=1e-7)
10. >+if(cockroach.mds1$stress <
    cockroach.mds$stress) break
11. >+}
12. >par(mfrow=c (2,2))
13. >plot(procrustes (cockroach.mds1,
    cockroach.mds))
14. >plot (cockroach.mds1$points[,1],
    cockroach.mds$points[,1], type="n")
15. >text(cockroach.mds1$points[,1],
    cockroach.mds$points[,1],
    names(cockroach.dist))
16. >Sheppard(cockroach.dist,
    cockroach.mds1$points)
17. >par(mfrow=c(1,1))
```

1. Use the library function to load the vegan package if it has not already been loaded. This package contains a number of functions used in MDS
2. If no standardization is required, use the vegdist function to calculate a Bray-Curtis dissimilarity matrix and assign it to a dist object that is called mds.dist. The method=. . parameter is used to specify the type of dissimilarity matrix (see the Table 15 for alternatives)
3. If standardization is required, use the decostand function. In the example, data are standardized by column (variable - species) maximas. The first parameter is a data frame ((mds), the second parameter specifies which margin (1=rows, 2=columns) to
standardize and the third specifies the form of standardization (see Table 14 for alternatives)
4. Use the vegdist function to calculate a BrayCurtis dissimilarity matrix and assign it to a dist object that is called mds.dist. The method= . . parameter is used to specify the type of dissimilarity matrix (see the Table 15 for alternatives)
5. Use the library function to load the MASS package if it has not already been loaded. This package contains the MDS functions
6. Use the isoMDS function to perform a Kruskal's non-metric MDS using the distance matrix (mds.dist) and specifying a 2-dimensional solution (with the parameter $\mathbf{k}=2$ ). As no starting configuration is given, a classical solution is provided. The resulting MDS object is stored with the name mds.mds
7. Use the repeat procedure to recompute the MDS 200 times see if a better solution is possible (based on comparing stress values). This also demonstrates the use of the initMDS function which generates unique random starting configurations.
8. Setup the graphics window such that 4 graphs will be produced on the one page
9. Use the plot and procrustes functions to compare the the cockroach.mds1 and cockroach.mds final configurations
10. Use the plot function to plot the final NMDS configuration of SU's without points (type='n')
11. Use the text function to add the SU names as points on the NMDS configuration plot
12. Restore the graphics window to the default setting of a single graph per page

Table 14 Standardization methods available in the decostand function

| Standardization | Syntax |
| :--- | :--- |
| Divide by margin total | 'tot' |
| Divide by marginal maximum | 'max' |
| Average non-zero entry equals 1 | 'freq' |
| Unity of marginal sum of squares | 'normalize' |
| Range from 0 to 1 | 'range' |
| Zero mean and unit variance | 'standardize' |
| Presence/absence scale | 'pa' |

Table 15 Distance measures available in the vegdist function.

| Distance Measure | Syntax |
| :--- | :--- |
| Bray-Curtis | 'bray' |
| Euclidean Distance | 'euc' |
| City Block (Manhattan) | 'man' |
| Gower | 'gower' |
| Canberra | 'can' |
| Kulczynski | 'kul' |

### 11.3 Clustering

## >hclust (DIST, METHOD)

Where the hclust function is used to calculate hierarchical clustering (and dendrogram generation) from the distance matrix (DIST using the linkage method (METHOD)

```
1. >cockroach.dist <- vegdist(cockroach)
```

2. >cockroach.clust <- hclust(cockroach.dist,
method=' ave' )
3. >plot(as.dendrogram(cockroach.clust, edge.root=T, horiz=T))
4. >cockroach.coph <-cophenetic( cockroach.clust )
5. >cor (cockroach.dist, cockroach.coph)
6. Recycle the multivariate data set used for both the PCA and NMDS demonstrations. For the purpose of naming conventions copy the dissimilarity matrix (cockroach.dist) to a new name (cockroach.dist)
7. Use the hclust function to perform the hierarchical clustering from the clust.dist distance matrix using the ave (average or UPGMA) linkage method (see Table Linkages for alternative linkage methods)
8. Use the plot and as.dendrogram functions to produce a dendrogram from the hierarchical cluster object
9. Use the cophenetic function to calculate the cophenetic distances for the hierarchical clustering object (cockroach.clust)
10. Use the cor function to calculate the cophenetic correlation coefficient between the original distance measure cockroach.dist and the cophenetic distances cockroach.coph

Table 16 Linkage methods available in the hclust function.

| Linkage method | Syntax |
| :--- | :--- |
| Single (Nearest neighbor) | 'single' |
| Average (UPGMA) | 'ave' |
| Complete (furthest neighbor) | 'complete' |
| McQuitty | 'mcquitty' |
| Median | 'median' |
| Centroid | 'centroid' |
| Ward | 'ward' |

## 12 GRAPHS

### 12.1 Boxplots

Re-visiting the leaves (2 factor ANOVA) data set from section 9.4

Boxplots provide convenient means to examine the distributional and homeostoichastic assumptions associated with parametric analysis, examine the quality of the data and generally explore and visualize the data. Note however, that boxplots generated from less than 5 observations are of limited value.

```
>boxplot(VAR, . ..)
OR
>boxplot (FORMULA, ...)
```

Where VAR is a single variable used to produce a single boxplot and FORMULA is a model statement (e.g. VARIABLE~GROUPING) used to produce as many boxplots as there are levels within the FORMULA model

```
1. >boxplot(water ~ temp, data=leaves)
2. >boxplot(water ~ temp * humidity,
    data=leaves)
```

1. Use the boxplot function to plot boxplots for the variable (water) against temp in the leaves data frame.
2. Use the boxplot function to plot boxplots for the variable (water) against temp:humidity in the leaves data frame.

### 12.2 Bar graph

Re-visiting the leaves (2 factor ANOVA) data set from section 9.4

Presently there are no good bar graph routines in R. The command sequences suggested below provide a quick-fix approach to generating bar graphs. However, they fall short of being an elegant or even adequate solution.

```
>barplot(HEIGHTS, ...)
```

Where HEIGHT is an array of bar heights (usually means)

```
1. >leaves.split <- split(leaves$water,
    leaves$humidity:leaves$temp)
2. >leaves.m <- sapply(leaves.split,mean)
    OR
3. >leaves.m <- tapply(leaves$water,
    leaves$humidity:leaves$temp, mean)
4. >leaves.sd <- sapply(leaves.split,sd)
5. >leaves.n <- sapply(leaves.split,length)
6. >leaves.se <- leaves.sd/sqrt(leaves.n)
7. >leaves.bar <- barplot(leaves.m,
    col=c(0,1), ylim=c(0,max(leaves.m)*1.25)
8. >arrows(leaves.bar, leaves.m, leaves.bar,
    leaves.m+leaves.se, ang=90)
    OR
9. >library(gregmisc)
10. >plotCI(leaves.bar, leaves.m,
    uiw=leaves.se, add=T, gap=0)
```

1. Use the split function to split the values of water within the data set (leaves) according to the number of levels indicated by the second parameter (leaves\$humidity:leaves\$temp), which in this case is the interaction of the two factors. Store the split data set in the variable leaves.split. Note that when setting up for a bargraph with 2 factor variables, put the factor with the most levels first in the sequence (in this case humidity went first because it had 3 levels and temp only had 2).
2. Use the sapply function to calculate the mean of the water variable separately for each level in the
split data frame leaves.split
3. As an alternative the means could have been calculated from the original (unsplit) data frame (leaves) using the taply function
4. Use the sapply function to calculate the standard deviation of the water variable separately for each level in the split data frame leaves.split
5. Use the sapply function to calculate the length of the water variable separately for each level in the split data frame leaves.split
6. Use the standard deviations and sample sizes to calculate the standard error of the water variable separately for each level in the split data frame leaves.split
7. Use the barplot function to generate a bar graph using the means as the heights of the bars. The x-coordinates of each bar in the graph are stored in the variable leaves.bar. The parameter ylim=c ( $0, \max (l e a v e s . m) * 1.25)$ is used to ensure that the $y$ axis is high enough to accommodate error bars - the y-maximum has been set to $25 \%$ higher than the group with the highest mean
8. Use the arrow function to add upper error bars to each bar. The first two parameters used in this function (leaves.bar and leaves.m) are arrays of $x$ and y coordinates used for the start of each line. These coordinates provided are for the middle-top of each bar (column) in the graph. The next two parameters (dat.bar, dat.m+dat.se) are arrays of $x$ and $y$ coordinates used for the end of each line. These coordinates provided are for the middle-top of each bar (column) plus the standard error in the graph. ang=0 specifies that the head of the arrows should be at 90 degrees to the shaft.
9. Alternatively use the plotCI function to plot the error bars. The first two parameters used in this function (leaves.bar and leaves.m) are arrays of $x$ and $y$ coordinates used for the start of each error bar. The next parameter uiw=leaves.se indicates the height of the error bars. The parameter add=T specifies that the error bars (intervals) should be added to a current graph rather than replotting just the error bars.

### 12.3 Scatterplot

Revisiting the snails data set that was generated in section 8.2. This will be used to demonstrate simple scatterplots in R.

```
>scatterplot (FORMULA, smooth=F, boxplot=F)
```

Where FORMULA is a of the format
dependent ~ independent | grouping

```
1. >plot(species ~ salinity, dat=snails)
2. >abline(lm(species ~ salinity, dat=snails))
3. >lines(lowess(snails$salinity,
    snails$species, f=.5), col=2)
4. >scatterplot(species~salinity, smooth=T,
    reg.line=lm, data=snails)
```

1. Use the plot function to construct a scatterplot of of species on the $y$-axis and salinity on the $x$-axis
2. Use the abline (fits lines to plots) and lm (linear regression procedure) functions to fit a linear regression line through the data.
3. Use the lines (draws lines on plots) and lowess (performs lowess smoothing) functions to fit a red (col=2) lowess smoother through the data. The $\mathrm{f}=.5$ argument defines the smoother span
4. Use the library function to load the car package which contains the scatterplot function listed bellow
5. Use the scatterplot function to construct a scatterplot of species on the $y$-axis and salinity on the $x$-axis with a lowess smoother and a linear regression line fitted through the data and boxplots in the axes.

### 12.4 Interaction plots

Revisiting the 2 factor ANOVA leaves data set that was generated in section 9.4.
>interaction.plot(FACTOR1, FACTOR2, DV)
where FACTOR1 represents the x-axis, the levels of the FACTOR2 factor are used to define the separate traces and DV represents the $y$-axis

1. >interaction.plot(leaves\$humidity,
leaves\$temp, leaves\$water)
2. Use the interaction.plot function to generate an interaction plot with mean water on the $y$-axis, humidity on the $x$-axis and levels of temp to define the separate traces.

### 12.5 Saving graphs

Graphs may saved for use in other documents. Saving graphs in commands involves redirecting the output from a window (display) graphics device to a file filter graphics device. So when satisfied with the graph in the window display, redirect the output to either a JPEG or Encapsulated postscript device and resubmit the commands required to perform the graph. When the command sequence is finished, turn the device off so as to return control back to the standard output device (the screen). Encapsulated postscript

```
1. >postscript(file="filename.eps",
    paper="special", height=6, width=6,
    family="Helvetica")
2. >....
3. >dev.off()
```

1. Use the postscript function to produce a JPEG image. The parameter file= specifies an output file name (including full path otherwise path is assumed to be current working directory), paper specifies the size of the paper. While it is possible to specify "a4" as the paper size, for graphs that are intended to be embedded within other documents, it is better to use the value "special" and allow the height and width parameters specify the dimensions (in inches). The family parameter specifies the font family for any text on the graph. There are a large number of Adobe font names values possible (including "Times", however "Helvetica" (similar to Arial) is preferable.
2. Re-enter the commands necessary to generate the graph
3. Turn off the postscript output graphics device, returning the control back to the standard output de-
vice (screen)
JPEG
```
1. >jpeg(filename="filename.jpg", height=500,
    width=500, quality=52)
2. >....
3. >dev. off ()
```

1. Use the jpeg function to produce a JPEG image. The parameter filename=specifies an output file name (including full path otherwise path is assumed to be current working directory), and height and width specify the dimensions of the graphic in pixels. The quality parameter is used to specify the percentage of quality for compression (smaller values - greater compression, lower quality).
2. Re-enter the commands necessary to generate the graph
3. Turn off the jpeg output graphics device, returning the control back to the standard output device (screen)

## 13 Using command scripts

Series of commands can be written as plain text in any text editor, whereby each line represents a single R command. A collection of one or more commands is therefore a script. Scripts can be read into $R$ using the source function.

## source("filename")

Where filename is the file name of the script (including full path if not current working directory). Each line of the script (filename) will be parsed (checked for errors), interpreted, and run as if it had been typed directly at the > prompt.
This is an extremely useful feature as it enables complicated and/or lengthy sequences of commands to be stored, modified and reused rapidly as well as acting as a record of data analysis and a repository of analysis techniques.
$\mathbf{R}$ is free software distributed by the $\mathbf{R}$ core development team under a GNU-style copyleft

Murray Logan, School of Biological Sciences, Monash University.
February 9, 2007

